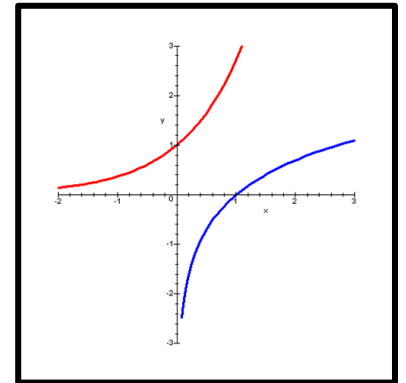


Logs

- A logarithm is a quantity representing the power to which a fixed number (the base) must be raised to produce a given number
 - The common base is 10 but any number can be used as the base
 - The common base is written as $\log(x)$
 - E.g. $\log(100) = 2$
 - Any other number is written as $\log_n(x)$
 - E.g. $\log_2(8) = 3$
- A logarithmic graph is the opposite of an exponential graph (see right)
 - They both are asymptotes; the logarithmic graph is to the y axis whereas the exponential graph is to the x axis
- All numbers lower than one have negative logarithms
 - E.g. $\log(0.0001) = -4$
 - As they get smaller, the logs approach infinity
- The logarithm is not defined for negative numbers or 1
 - E.g. $\log_{-4}(5)$ and $\log(-87)$ won't work
- Logs are defined for all positive numbers and so doesn't have to be whole
 - E.g. $\log(500) = 2.699$
- Logs are used in scientific applications to compare numbers of great various magnitude
 - For example, time scales vary from billions of years to fractions of seconds
 - Here is an example of times that can be compared:
 - Formation of earth – 4.6×10^9 YBP
 - Dinosaur extinction – 6.5×10^7 YBP
 - Last great ice age – 1×10^4 YBP
 - Declaration of independence – 2×10^2 YBP:
 - And here they are as their logs (YBP)
 - Formation of earth – 9.633
 - Dinosaur extinction – 7.813
 - Last great ice age – 4.000
 - Declaration of independence – 2.301
 - Note the difference in the ability to see the graphs:



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