Similarly

Note: * As per thermodynamics pH has no unit, pH is difined as

Where, a_{H*} is the hydrogen ion activity. The H* activity is obtained by multiplying [H*] by a suitable activity coefficient (y) based on thermodynamic measurements. They approach 1.0 for very dilute solutions but get smaller as concentration increases.

* for concentrate solution pH values greater than 14 are possible for concentrated strong base and negative pH values are possible for concentrated strong acids.

*pH of very dilute (~ 10⁻⁸M or Lower) acids (or bases) is nearly 7 (not simply—log[acid] etc. due to ionization of water.

* At 25°C, if pH = 7, then solution is neutral, pH > 7 then solution is basic.

lonisation Constants

For dissociation of weak acids (eg. HCN), HCN + H₂O \rightleftharpoons H₃O⁺ + CN⁻ the equilibrium

constant expression is written as
$$K_a = \frac{[H_3O^+][CN^-]}{[HCN]}$$

* For the Polyprotic acids (e.g. H_3PO_4), successive ionisation constants are denoted by K_{a_1} , K_{a_2} , K_{a_3} etc. For HaPO4,

$$K_{a_{4}} = \frac{[H_{3}O^{+}][H_{2}PO_{4}^{-}]}{[H_{3}PO_{4}]} ; \qquad K_{a_{2}} = \frac{[H_{3}O^{+}][HPO_{4}^{2-}]}{[H_{2}PO_{4}^{-}]} ; \qquad Similarly, K_{b} \text{ denotes basic dissociation of that art for a base.}$$

$$Also, pK_{b} = -log_{10}K_{b}, pK_{b} = -log_{10}K_{b}, pK_{b} = -log_{10}K_{b}$$

$$ALCOLAGON: -$$

A weak acic in water:

if
$$\alpha = \sqrt{\frac{K_a}{C}}$$
 is < 0.05, then [H+] $\approx \sqrt{K_a C}$.

General Expression: $[H^{+}] = 0.5(-K_a + \sqrt{K_a^2 + 4K_aC})$

Similarly for a weak base, substitute [OH-] and K_b instead of [H+] and K_a respectively in these expressions.

Case (II)

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A weak acid and a strong acid: [H+] is entirely due to dissociation of strong acid may be both depend on conditions.

A weak base and a strong base: [OH] is entirely due to dissociation of strong base may be both depend

Neglect the contribution of weak acid/base if α is negligiable.

Gasa (Ni)

Two (or more) weak acids

If acids dissociate to a negligible extent, $[H^+] = \sqrt{K_aC_1 + K_{a_2}C_2}$