

Equilibrium, Acids & Bases, Titrations, & Solubility

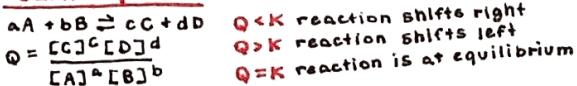
equilibrium constants

K_c molar concentrationsK_p partial pressuresK_{sp} solubility productK_a acid dissociation constant (weak acids)K_b base dissociation constant (weak bases)K_w ionization of water ($K_w = 1 \times 10^{-14}$)changes in equilibrium constantconcentration and pressure changes do not change K_{eq}
increase in temp (shift to left) increases [reactants] $\hookrightarrow K_{eq}$ decreases

decrease in temp (shift to right) increases [products]

 $\hookrightarrow K_{eq}$ increases

reaction quotient

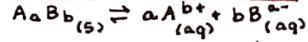


voltaic cells

always given at standard conditions (25°C, 1.0 atm)

 $K_{eq} \gg 1$ (very favored)voltage = 0 if $Q = K$ reaction quotient (Q) = 1 at standard conditions Q increases (closer to K) cell potential decreases Q decreases (further from K) cell potential increases

solubility product (K_{sp})



$$K_{sp} = [A^{b+}]^a [B^{a-}]^b$$

molar solubility moles of salt dissolvable in 1 L or 1000 mL

$$\text{ex) } K_{sp} = [Ag^+]^2 [CrO_4^{2-}]$$

$$8.0 \times 10^{-12} = (2x)^2 (x)$$

$$= 4x^3$$

$$x = [CrO_4^{2-}] = 1.1 \times 10^{-4} \text{ M}$$

$$2x = [Ag^+] = 2.6 \times 10^{-4} \text{ M}$$

(tends to increase w/ temp)

↑ concentrations at equilibrium

acids and bases

Arrhenius: substance that ionizes to produce H⁺ or OH⁻ ionsBrønsted-Lowry: substance that donates H⁺ (acid) or accepts H⁺ (base)

(form a conjugate pair)

(tends to increase w/ temp)

amphoteric

capable of acting as an acid or a base (i.e. H₂O)

$$p(\text{anything}) = -\log(\text{anything})$$

$$pH = -\log[H^+]$$

$$pOH = -\log[OH^-]$$

$$pK_a = -\log K_a$$

$$pK_b = -\log K_b$$

strong acids HCl, HBr, HI, HNO₃, HClO₄, H₂SO₄strong bases LiOH, NaOH, KOH, Ba(OH)₂, Sr(OH)₂acid dissociation constant $K_a = \frac{[H^+][A^-]}{[HA]}$ base dissociation constant $K_b = \frac{[HB^+][OH^-]}{[B^-]}$ greater K_a stronger acid (more dissociation)greater K_b stronger base (accepts more H⁺)

calculating pH

set up K_a equation

plug values into ICE table

plug values and variables (using initial acid concentration) into K_a solve for $x = [H^+]$ (x is insignificant when $[acid] > 100 \cdot K_a$)

$$-\log[H^+] = pH$$

buffers

solution with a very stable pH

weak acid/base + its conjugate - buffer won't form w/ strong acid/base b/c

added H⁺ ions neutralized by base conjugate is very weakadded OH⁻ ions neutralized by acid weak

more effective at higher concentrations

when $[acid] = [base]$, $pH = pK_a$

(choose acid w/ pKa close to desired pH)

Indicator changes color when $pH = \text{indicator's } pK_a$

manipulating K_{eq}

- (1) flip a reaction → take reciprocal of equilibrium constant
- (2) multiply reaction → take equilibrium constant to that power
- (3) add two reactions → multiply equilibrium constants

Le Chatelier's principle

stress	shift	why
increase concen.	away from sub.	extra concentration needs to be used up
decrease concen.	towards substance	produce more substance to make up for loss
increase pressure	towards fewer mol of gas	pressure increase = volume decrease
decrease pressure	towards more mol of gas	pressure decrease = volume increase
increase temp	shifts to consume added thermal energy	
decrease temp	shifts to replace removed thermal energy	

adding inert gas at constant pressure

decreases mole fraction of other gases, reducing their part. press.
 \hookrightarrow shift towards more mol of gas

adding inert gas at constant volume

partial pressures of other gases do not change → no shift

adding a catalyst

changes rxn rates, not ratios → no shift

dilution

shifts to side with more aqueous species

common ion effect

more soluble salt causes less soluble salt to precipitate

$$[Ag^+] = [Cl^-] = 1.3 \times 10^{-5} \text{ M}$$

0.1 M NaCl is added

$$[Ag^+] = \frac{1.3 \times 10^{-5} \text{ M}}{1.1 \times 10^{-1} \text{ M}} = 1.2 \times 10^{-6} \text{ M}$$

$$[Ag^+] = 1.6 \times 10^{-7} \text{ M} \rightarrow [Ag^+] \text{ drastically decreases}$$

AgCl precipitates

energy & equilibrium constant

$$\Delta G^\circ = -RT \ln(K)$$

 ΔG° = free energy (J/mol)

R = gas constant (8.31 J/mol·K)

T = temperature (K)

K = equilibrium constant

percent dissociation

binary acids with less electronegative atoms "give up" H⁺ easily

$$H-\ddot{O}-F: H-\ddot{O}-Br:$$

F's high electronegativity weakens H-O bond (stronger acid)

lower [acid] → stronger acid (reverse rxn less likely)

polyprotic acids

can give up more than one hydrogen in solution

→ give up first protons more easily than future protons
(production of protons causes equilibrium to shift left)

neutralization reactions

strong acid + strong base both dissociate completely

$$\text{ex) HCl} + \text{NaOH} \rightleftharpoons \text{NaCl} + \text{H}_2\text{O}$$

$$\text{NIE: } H^+ + OH^- \rightleftharpoons H_2O$$

strong acid + weak base strong acid donates proton to base

$$\text{ex) HCl} + \text{NH}_3 \rightleftharpoons \text{NH}_4^+ + \text{Cl}^-$$

$$\text{NIE: } H^+ + NH_3 \rightleftharpoons NH_4^+$$

weak acid + strong base strong base accepts proton

$$\text{ex) HC}_2\text{H}_3\text{O}_2 + \text{NaOH}$$

$$\text{NIE: } HC_2H_3O_2 + OH^- \rightleftharpoons C_2H_3O_2^- + H_2O$$

weak acid + weak base acid gives proton to base

$$\text{ex) HC}_2\text{H}_3\text{O}_2 + \text{NH}_3$$

$$\text{NIE: } HC_2H_3O_2 + NH_3 \rightleftharpoons C_2H_3O_2^- + NH_4^+$$

strong base in excess uses [OH⁻] or [H⁺] to find pH

$$\text{weak base in excess } pH = pK_a + \log \frac{[A^-]}{[HA]}$$

$$pOH = pK_b + \log \frac{[HB^+]}{[B^-]}$$

titrations

$$pH = pK_a \text{ at equivalence point}$$

buffer region

$$A^- + H_2O \rightleftharpoons HA + OH^-$$

equivalence point

$$HA \rightleftharpoons H^+ + A^-$$

volume of titrant

strong acid, strong base equiv pt. @ 7

strong acid, weak base equiv pt. < 7

weak acid, strong base equiv pt. > 7

weak acid, weak base equiv pt. @ 7