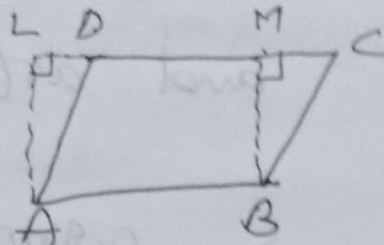


Corollary 1:- The area of a parallelogram is equal to the product of its base and corresponding altitude height.

Given:- Let ABCD be a parallelogram in which AB is the base and AL is the height.

R.T.P:- $\text{ar}(\text{||}^{\text{gm}} \text{ABCD}) = \text{AB} \times \text{AL}$



Construction:- Draw $\text{BM} \perp \text{DC}$ and $\text{AL} \perp \text{CD}$ Extended

So that rectangle ABML is formed

Proof:- clearly $\text{||}^{\text{gm}} \text{ABCD}$ and rectangle ABML are on the same base AB and between the same parallel lines AB and LC.

$\therefore \text{ar}(\text{||}^{\text{gm}} \text{ABCD}) = \text{ar}(\text{rectangle ABML})$

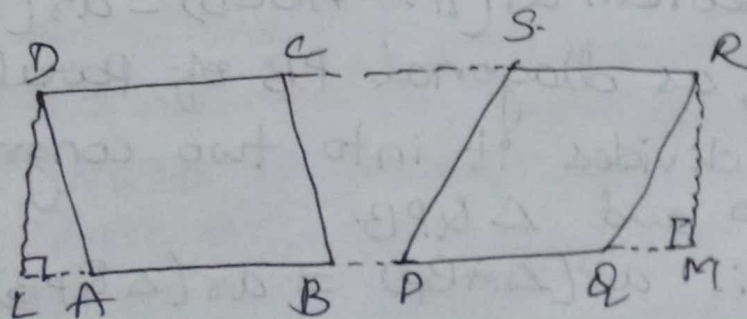
$\therefore \text{Area of parallelogram} = \text{Base} \times \text{height}$

Corollary 2:- (Parallelograms on equal base (or same base) and between the same parallels are equal in area.)

Given:- Let ABCD and PQRS be two parallelograms with equal bases AB and PQ and between the same parallels AD and SR.

R.T.P:- $\text{ar}(\text{||}^{\text{gm}} \text{ABCD}) = \text{ar}(\text{||}^{\text{gm}} \text{PQRS})$

Construction:- Draw $\text{DL} \perp \text{AB}$ (Produced) and $\text{RM} \perp \text{PQ}$.



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