## kinomial expansion.

A binomial expansion is an expansion of a bracket containing two terms, which is raised to a power, e.g.  $(1+2x)^{10}$ 

The general formula for a binomial expansion is:

 $(a + b)^{n} = a^{n} + {n \choose 1} a^{n-1} b + {n \choose 2} a^{n-2} b^{2} + \dots + {n \choose r} a^{n-r} b^{r} + \dots + b^{r} (n \in \mathbb{N})$ 

where 
$$\binom{n}{r} = \binom{n}{r} = \frac{n!}{r!(n-r)!}$$

fraction or negative

if n is a fraction or negative: the corresponding equation is

 $(1 + x)^n = 1 + nx + \frac{n(n-1)}{2!}x^2 + \frac{n(n-1)(n-2)}{3!}x^3 + \dots + \frac{n(n-1)\dots(n-r+1)}{r!}x^r \dots$  expansion is valid when 1x121

\* sub values into equation.

Expanding (a + bx)" fraction or regative

- \* take a factor of  $(a)^n$  out  $\Rightarrow$  must be  $(1 + \frac{b}{a}x)^n$  to expand.

multiply by  $(a)^n$  at the end. the expansion  $(a + bx)^n$  is valid for  $\left|\frac{b}{a}x\right| < 1$  .  $1x1 < \frac{a}{2}$  le. CO. UK **Binomial estimation** it is often useful to find Nniple approximations for complicated functions if the value of x is less some times ignore large powers of a final complication of a standard functions of the value if x is small you can some times ignore large powers of a final complication.

or estimate a value.