

1. A set where every non empty subset has a smallest element- guarantees that there exists a smallest number in any nonempty set of natural numbers.

Answer: Well ordered set

2. Let $P(n)$ be a statement about the natural numbers n .

If the following two conditions hold, then $P(n)$ is true for all $n \in \mathbb{N}$.

1) $P(K)$ is true.

2) If $P(K)$ is true then $P(K + 1)$ is true.

Answer: Proof by induction

3. $F_n + F_{n+1} = F_{n+2}$

Answer: Fibonacci numbers

4. Let a and b be 2 nonzero integers. we say b divides a and write $b|a$ if there is an integer q such that $a=bq$

Answer: Definition of divides

5. If $a|b$ and $b|c$ then...

Answer: $a|c$

6. Let a and b be integers not both 0. The _____ of a and b is the largest positive integer d such that $d|a$ and $d|b$. $d = \gcd(a,b)$.

Answer: Greatest Common Divisor

7. Let a and b be integers not both 0. Then (a,b) is the smallest positive integer, d , that can be expressed as $ax + by = d$, where x and y are integers.

Answer: Euclidean Algorithm

8. We say a and b are _____ if $(a,b) = 1$.

Answer: relatively prime

9. If $d = (a, b)$ then...

Answer: $1 = (a/d, b/d)$

10. Given two integers, not both 0, the _____ is the smallest positive integer that is a multiple of both given integers. $[a,b]$

Answer: Least Common Multiple

11. $(x_0 + b/dt, y_0 - a/dt)$