

hindu-arabic numerals

Exponents

$$b^n = \underbrace{b \cdot b \cdot b}_{\substack{\text{b appears as a factor} \\ \text{n times}}}$$

base

Exponent or power

Expression	read	Evaluation
8^1	8 to the first power	$8^1 = 8$
5^2	5 squared	$5^2 = 5 \cdot 5 = 25$
6^3	6 cubed	$6^3 = 6 \cdot 6 \cdot 6 = 216$
10^4	10 to the fourth power	$10^4 = 10 \cdot 10 \cdot 10 \cdot 10 = 10,000$
2^5	2 to the fifth power	$2^5 = 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 = 32$

In Expanded Form

- The place value of the first digit from the right is 1
- The place value of the second digit from the right is 10.

The place value of the third digit from the right is 100 or 10^2 .

$$663 = (6 \times 10^2) + (6 \times 10^1) + (3 \times 1)$$

$\uparrow$ $\uparrow$ $\uparrow$
 10^2 10 1

Begin by showing all powers of 10, starting with the highest exponent given. Any power of 10 that is left out is expressed as 0 times that power of 10.

$$7054 = (7 \times 10^3) + (0 \times 10^2) + (5 \times 10^1) + (4 \times 1)$$

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$$600,080 = (6 \times 10^5) + (0 \times 10^4) + (0 \times 10^3) + (0 \times 10^2) + (8 \times 10^1) + (0 \times 1)$$

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The Babylonian Numeration System

The Babylonians left a space to distinguish that various place values in a numeral from one another.

$$\begin{aligned}
 & \downarrow \quad \quad \quad \downarrow \quad \quad \quad \downarrow \downarrow \\
 & = (1 \times 60^2) + (10 \times 60^1) + (1+1) \times 1 \\
 & = (1 \times 3600) + (10 \times 60) + (2 \times 1) \\
 & = 3600 + 600 + 2 = 4202
 \end{aligned}$$

$$LL = (10+10)$$

$$VV = +1$$

$$VVV = (1+1)$$

$$LLVV = (10+10+1)$$