4. If 'm' articles are given free on a purchase of 'n' articles then **Discount%** =  $\frac{m}{n+m} \times 100$ 

5. If  $C.P_{n \ articles} = S.P_{m \ articles}$ , then **Profit/Loss%** =  $\frac{m-n}{n} \times 100$ 

6. If a shopkeeper uses a false weight of 'x kg' instead of 'y kg' (where x < y) and professes to sell the article at the C.P, then his **Profit% =**  $\frac{y-x}{x}$  x 100

7. If a shopkeeper uses a false weight of 'x kg' instead of 'y kg' (where x is **'k%'** less than y) and professes to sell the article at **'p%'** profit, then his **Actual Profit%** =  $\frac{(p+k)}{(100-k)}$  x **100** 

## Simple Interest & Compound Interest:

Principal (P): Money lent or borrowed

Rate of Interest (R): Percentage of Principal paid as interest. Generally, R is given yearly i.e. per annum

Time period (T): Duration for which the amount is lent or borrowed.

Amount (A): Total money paid to clear the principal as well as interest.

Simple Interest (S.I): When the interest is calculated only over the principal.

1. S.I = 
$$\frac{P \times R \times T}{100}$$
  
2. A = P + S.I  
3. If an amount becomes 'k' times of itself when given as 12° ate of interest, then  
R = (k-1)  $\times \frac{100}{k}$   
Compound Interest (1.0° When the interest is threalated over the principal as well as interest also.  
1. A = P  $\times (1 + \frac{R}{100})^T$ 

If nothing specific is mentioned then the interest would be compounded annually otherwise if the interested is compounded after every 'k' months then use  $(\frac{kR}{12})$  instead of R and  $(\frac{12T}{K})$  instead of T

3. If the amount for the  $n^{th}$  year and the  $(n+k)^{th}$  year be 'x' and 'y' respectively, then

R = 
$$[(\frac{y}{x})^{\frac{1}{k}} - 1] \times 100$$

Hence, if the amount for two consecutive years be 'p' and 'q' then  $\mathbf{R} = \frac{(q-p)}{n} \mathbf{x}$  100

## Difference between C.I and S.I:

1. 
$$(C.I - S.I)_{1 yr} = 0$$
  
2.  $(C.I - S.I)_{2 yr} = P(\frac{R}{100})^2$   
3.  $(C.I - S.I)_{3 yr} = 3P(\frac{R}{100})^2 + P(\frac{R}{100})^3$