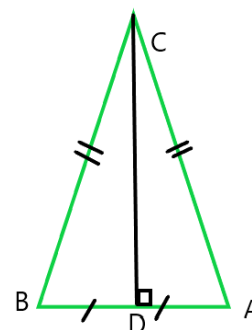


4 In isosceles triangle :

- CD is axis of symmetry perpendicular on AB
- CA = CB



→ Midpoint of a line segment

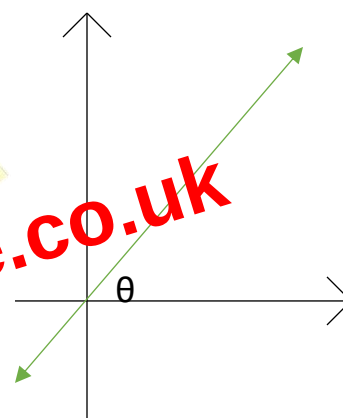
A (x_1 , y_1) , B (x_2 , y_2) has mid point M :

$$M = \left(\frac{x_1+x_2}{2} , \frac{y_1+y_2}{2} \right)$$

→ Slope of a straight line

Straight line "L" has two points A (x_1 , y_1) , B (x_2 , y_2) and make angle θ positive direction of x-axis :

$$\text{Slope} = \frac{y_2-y_1}{x_2-x_1} = \tan (\theta)$$



Important to know

1 if θ is :

- Acute angle $\rightarrow$ slope is positive
- Ob use angle $\rightarrow$ slope is negative
- = zero $\rightarrow$ L is parallel to x-axis $\rightarrow$ slope = zero
- = 90° $\rightarrow$ L is parallel to y-axis $\rightarrow$ slope is undefined $\rightarrow x_2-x_1=0$

2 Two straight lines L1 (slope m_1 , θ_1) and L2 (slope m_2 , θ_2) :

- L1 parallel L2 $\rightarrow m_1 = m_2 \rightarrow \theta_1 = \theta_2$
- L1 perpendicular L2 $\rightarrow m_1 \times m_2 = -1$

To Prove using slopes (as for parallel $m_1 = m_2$, for perpendicular $m_1 \times m_2 = -1$)

1 trapezium ABCD $\rightarrow$ AB parallel CD , AD not parallel BC

2 Parallelogram ABCD $\rightarrow$ AB parallel CD , AD parallel BC and AB = CD , AC = BC

3 rectangle ABCD $\rightarrow$ ABCD is parallelogram and AB perpendicular BC ,

CD perpendicular AD , AC = BD