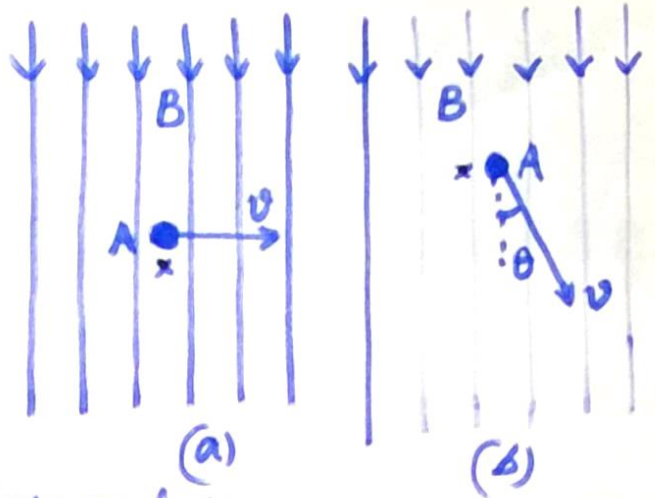


Dynamically induced emf :

In fig (a), a conductor A is shown lying within a uniform magnetic field of flux density $B \text{ Wb/m}^2$. The arrow attached to A shows its direction of motion. Suppose l is its length lying within the field and it moves a distance dx in time dt . Then area swept by it is $l \cdot dx$. Hence, flux cut = $B \times l \cdot dx \text{ Wb.} = d\phi$

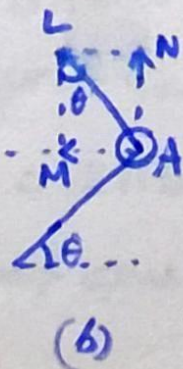
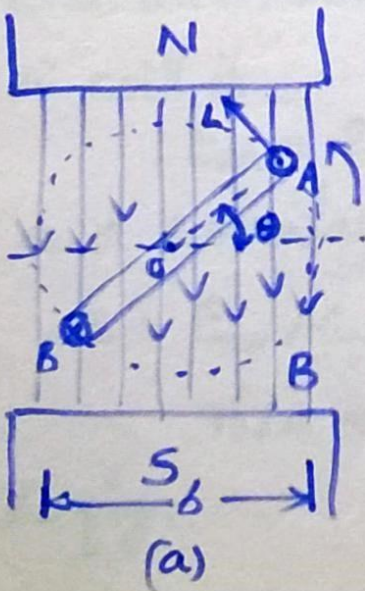


According to Faraday's laws, the emf induced $e = \frac{d\phi}{dt} = B l \frac{dx}{dt} = B l v \text{ volt.}$

The direction of induced emf is 'into,' given by Fleming's right-hand rule or Lenz's and rule.

If the conductor A moves at an angle θ with the direction of flux, then the induced emf is $e = B l v \sin \theta \text{ volts.}$

Generation of an alternating emf :



Coil AB is shown after it has rotated through an angle θ from the horizontal position, i.e. the position of zero emf. Suppose the peripheral velocity of each side of the loop to be $v \text{ m/s}$; then this v can be represented by the length of a line AL drawn \perp