**P(money back)** = P(Money back without ETP) + P(ETP with money back) + P(DBP with money back) = 7.81% + 0.24% + 0.24 = 8.29%

Note: The following below is the probability of the house losing and let E(x) stand for expected value

 $\begin{array}{l} \textbf{P(\$2)} = P(+2 \text{ tokens}) + P(\text{ETP}*+2 \text{ tokens}) = 15.63\% + 0.49\% = 16.12\% \\ \textbf{P(\$4)} = P(\text{DBP}*+2 \text{ tokens } (+4)) = \textbf{0.49\%} \\ \textbf{P(\$20)} = P(\text{win double}) + P(\text{ETP}*\text{win double}) = 9.38\% + 0.29\% = \textbf{9.67\%} \\ \textbf{P(\$40)} = P(\text{win triple}) + P(\text{ETP}*\text{win triple}) = 3.13\% + 0.10\% = \textbf{3.23\%} \\ \textbf{P(\$60)} = P(\text{jackpot}) + P(\text{ETP}*\text{jackpot}) + P(\text{DBP}*\text{win double} (x4)) = 1.56\% + 0.05\% + 0.29\% = 1.90\% \\ \textbf{P(\$100)} = P(\text{DBP}*\text{win triple} (x6)) = \textbf{0.10\%} \\ \textbf{P(\$140)} = P(\text{DBP}*\text{jackpot} (x8)) = \textbf{0.05\%} \end{array}$ 

 $\begin{array}{l} \textbf{E(x)= P(Player losing) - (P(\$2) + P(\$4) + P(\$20) + P(\$40) + P(\$60) + P(\$100) + P(\$140))} \\ \textbf{E(x)} = 20(0.6016) - [2(0.1612) + 4(0.0049) + 20(0.0967) + 40(0.0323) + 60(0.019) + 100(0.001) + 140(0.0005)] = \$7.1540 \end{array}$ 

7.1540/20 = \$0.3577 per dollar bet Therefore, the house is expected to make \$0.36 to \$0.36 to \$0.36 dollar when a player bets \$20Expected value per dollar bet: Average gain ner the albet = (\$0.2038) \$0.3064 + \$0.3406 + \$0.3577)/4= \$0.302025= \$0.30

Therefore, the house is expected to make an average of **\$0.30** for every dollar when a player bets any amount.